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**Symplectic 4-manifolds with positive signature**

*Abstract.* Simply connected topological 4-manifolds with nondefinite intersection form  $Q$  are uniquely determined by Euler characteristic  $e$ , signature  $\sigma$  and the parity of the intersection form  $Q$ . It is interesting to ask for which combinations  $(e, \sigma, \text{spin})$  there exists a topological manifold admitting symplectic structure, or how many distinct structures there are. In this talk we address the *geography problem* of symplectic 4-manifolds, especially in the regions with small Euler characteristic, or close to the Bogomolov-Miyaoka-Yau line. We present brief description of the constructions of our examples and techniques which allow us to obtain infinitely many different symplectic structures in a given homeomorphism type.